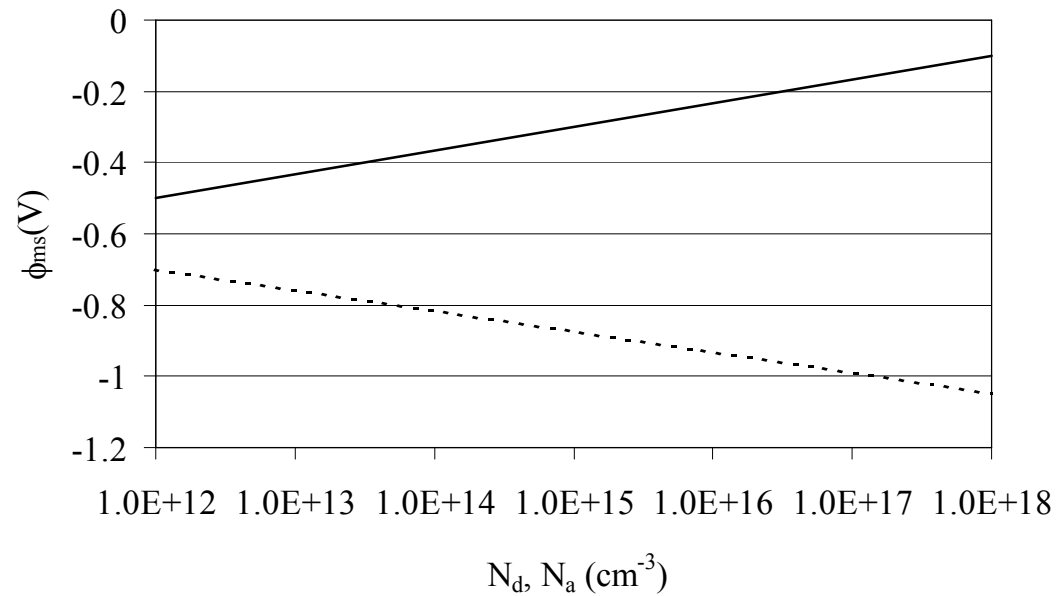


Effects of Real Surfaces

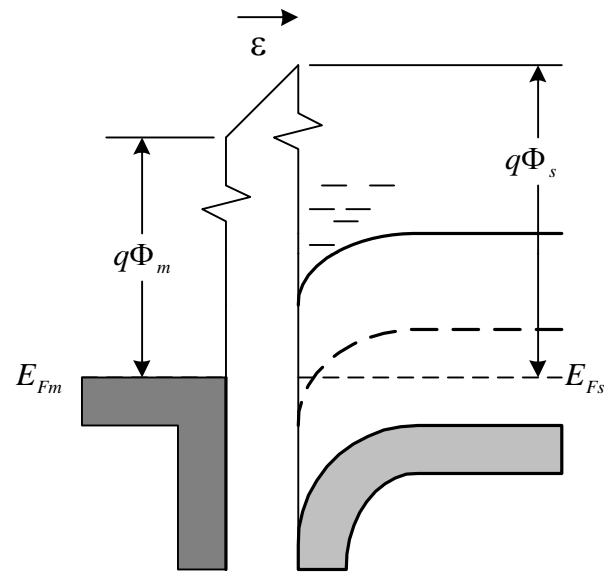
- Work Function Difference:
 - Doping level changes ($\phi_{ms} = \phi_m - \phi_s$)
 - Always negative
 - To take into account band bends down (can even cause a channel to exist).
- Interface Charge:
 - Q_m (Mobile ionic), Q_{ot} (Oxide trapped), Q_f (Oxide fixed), Q_{it} (Interface trap)

Work Function Difference

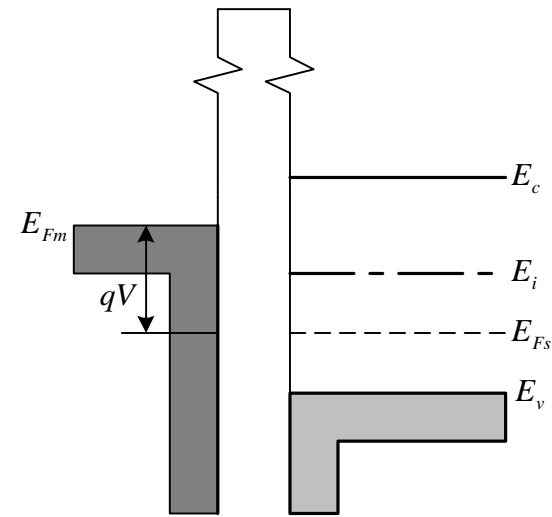
Variation of the metal-semiconductor work function



Effects of Real Surfaces

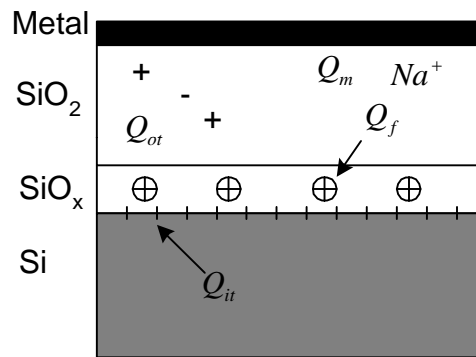


(a) Equilibrium
 $V=0$

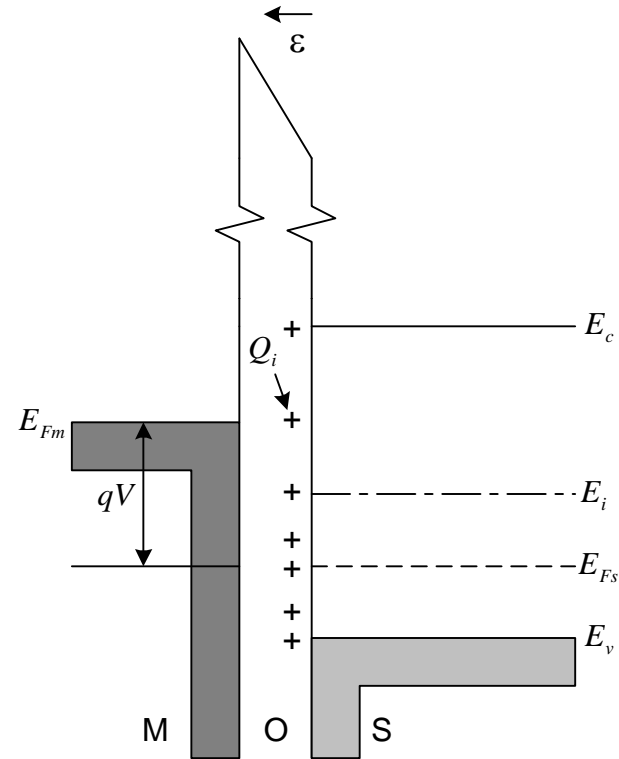


(b) Flat band
 $V = V_{FB} = \Phi_{ms}$

Effects of Real Surfaces



- Q_m Mobile ionic charge
- Q_{ot} Oxide trapped charge
- Q_f Oxide fixed charge
- Q_{it} Interface trap charge



$$V_{FB} = \varphi_{ms} - \frac{Q_i}{C_i} \quad V = V_{FB} = -\frac{Q_i}{C_i}$$

Real Surfaces

- Interface Charge:
 - Q_m (Mobile ionic) Sodium atoms move around under electric field
 - Q_{ot} (Oxide trapped) Imperfections in SiO_2 cause charge to be trapped
 - Q_f (Oxide fixed) Ionic silicon left over from oxidation process.
 - Q_{it} (Interface trap) Charge due to abrupt interface of SiO_2 and Si.

Threshold Voltage (Al Gate)

$$V_T = \phi_{ms} - \frac{Q_i}{C_i} - \frac{Q_d}{C_i} + 2\phi_F (NMOS) \quad \phi_F = .0259 \ln\left(\frac{N_a}{n_i}\right) (NMOS)$$

$$V_T = \phi_{ms} - \frac{Q_i}{C_i} - \frac{Q_d}{C_i} - 2\phi_F (PMOS) \quad \phi_F = .0259 \ln\left(\frac{N_d}{n_i}\right) (PMOS)$$

ϕ_{ms} Get from chart (both n and p channel)

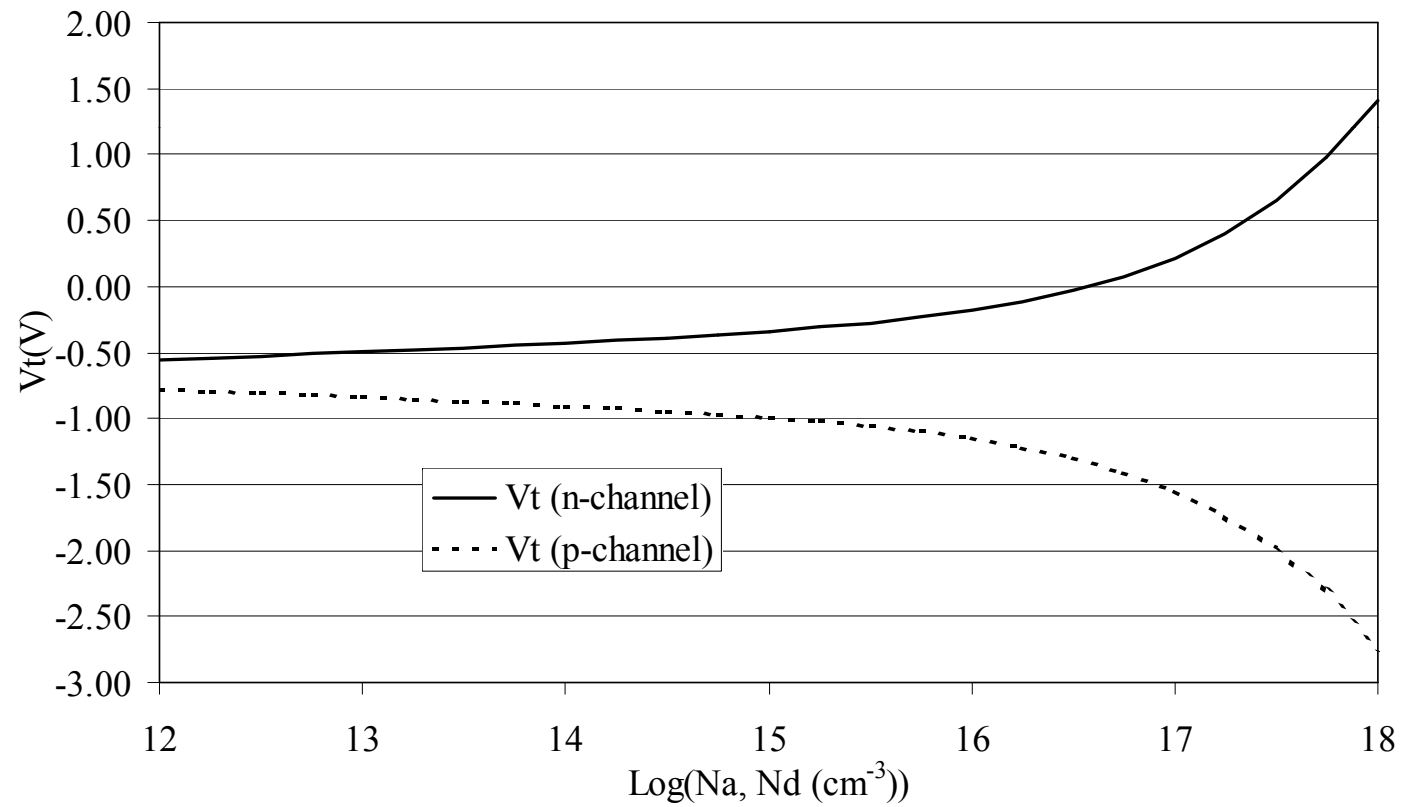
$$C_i = \frac{(3.9)(8.885 \times 10^{-14} \text{ F/cm})}{d(\text{cm})} \quad (\text{both n and p channel})$$

Q_i = Given to you by process engineer.

$$Q_d(nmos) = -2(\epsilon_s q N_a \phi_F)^{\frac{1}{2}}, \quad Q_d(pmos) = 2(\epsilon_s q N_d \phi_F)^{\frac{1}{2}},$$

Threshold Voltage

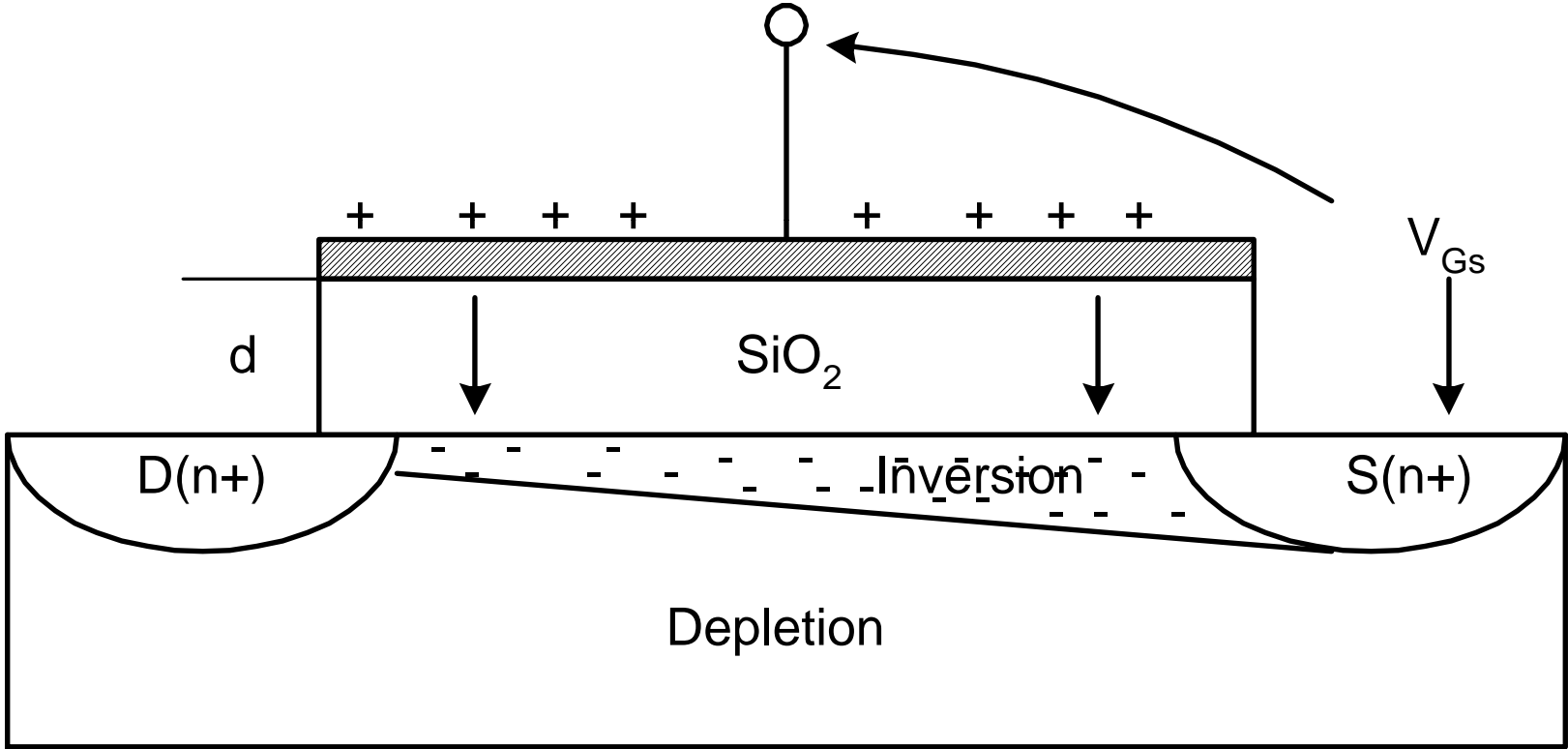
V_t for $d=100\text{\AA}$, $Q_d=5 \times 10^{10}(\text{cm}^{-2})q$



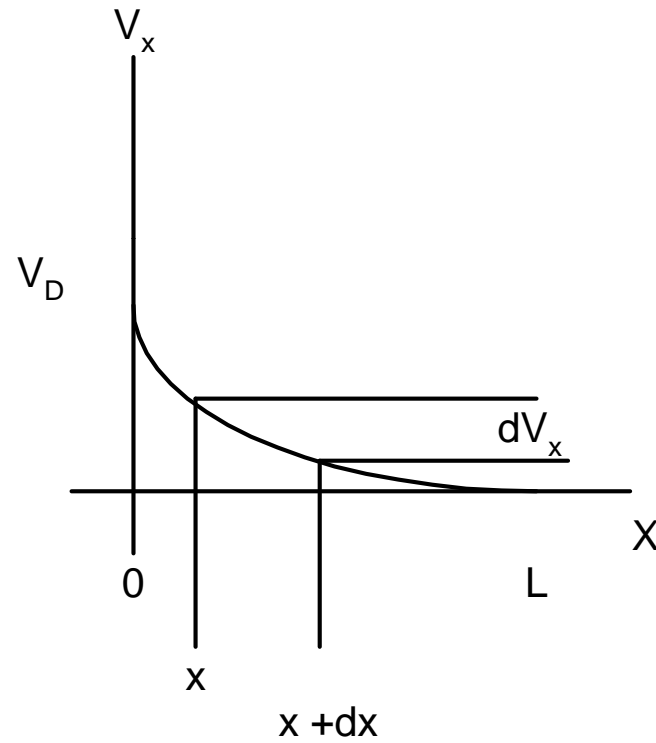
Examples

- Solve Example 6-1 except $N_a = 1 \times 10^{17} \text{ cm}^{-3}$
- Solve Example 6-2 except use a 50 \AA SiO_2 layer.

The MOS Field-Effect Transistor



The MOS Field-Effect Transistor



The MOS Field-Effect Transistor

Linear Region :

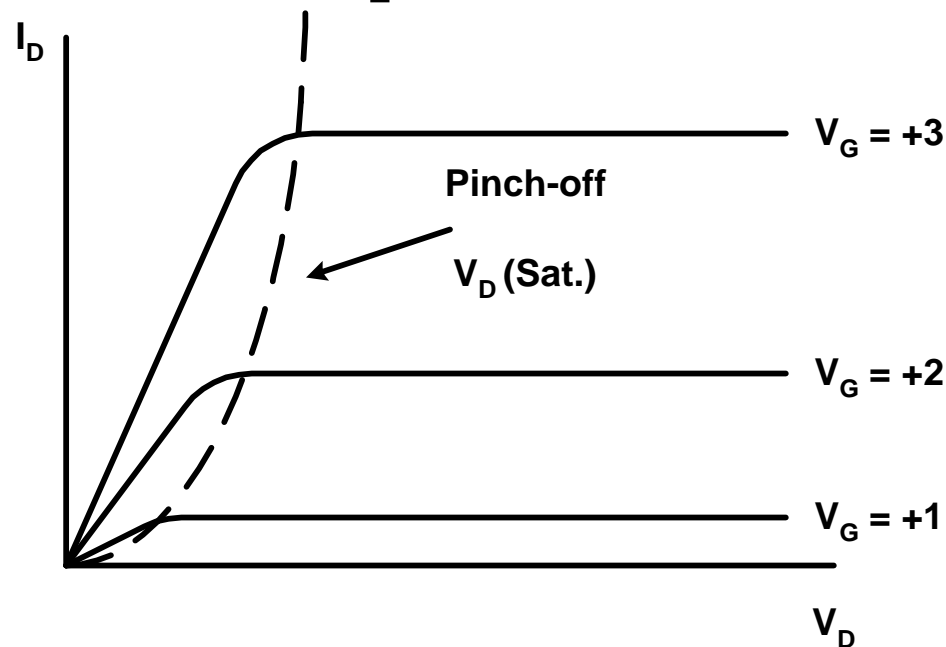
$$g_m = \frac{Z}{L} \mu_n C_i V_D$$

$$I_D = \frac{Z}{L} \mu_n C_i \left[(V_G - V_T) V_D - \frac{1}{2} V_D^2 \right]$$

Saturation Region ($V_{DSAT} = V_G - V_T$):

$$g_{m(sat)} = \frac{Z}{L} \mu_n C_i V_{DSAT}$$

$$I_{D(sat)} = \frac{Z}{L} \mu_n C_i V_{DSAT}^2$$



Control of Threshold Voltage

- Silicon gate technology
 - Φ_{ms} is reduce by using poly-silicon as the gate
 - Poly-silicon must be heavily doped
 - Φ_{ms} is now just the difference in Fermi levels of the two silicon regions.
 - Poly-silicon is also more process friendly (It can withstand higher temperatures than Al)

Control of Threshold Voltage

- Control of C_i
 - We would like a small V_T under the gate but elsewhere we would like a large V_T to prevent channels from forming between transistors.
 - Smaller C_i , leads to a smaller threshold.

Control of Threshold Voltage

- Ion Implantation
 - B ions can be implanted in a two dimensional sheet just below the oxide layer. These ions are negatively charged and can be used to offset Q_d . Dose typically 10 seconds.

$$V_{T(New)} = V_{T(Old)} + \frac{qF_B}{C_i}$$

Control of Threshold Voltage

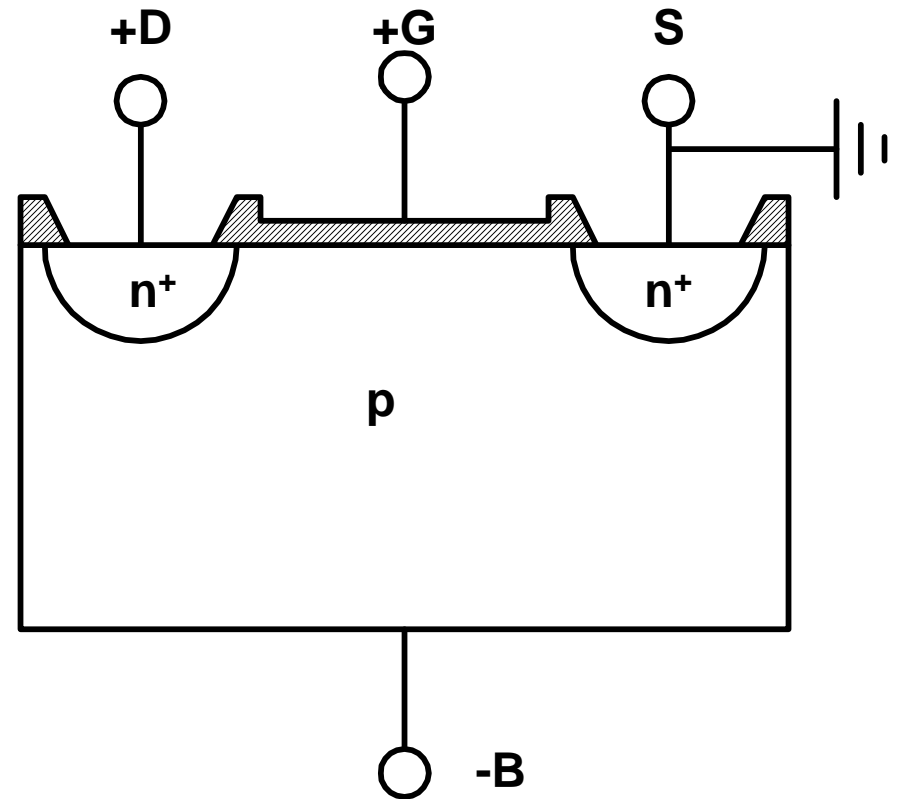
- Control Q_i
 - Grow the SiO_2 layer on $\{100\}$ oriented wafers
 - Less dangling bonds
 - Slower growth rate leads to higher quality layer
 - HCl in oxygen reduces sodium in SiO_2

Substrate Bias Effect

- We add a contact to the body (Normally the source and body are tied together at ground)

$$\Delta V_T = \frac{\sqrt{2\varepsilon_s q N_a}}{C_i} \left[(-V_B)^{\frac{1}{2}} \right] (NMOS)$$

$$\Delta V_T = -\frac{\sqrt{2\varepsilon_s q N_d}}{C_i} \left[(V_B)^{\frac{1}{2}} \right] (PMOS)$$



What is “Pinch off”

- For a given V_G , you have a maximum amount of current you can flow through the channel (regardless of V_D).
- When $V_D = V_G - V_T$ the channel is flowing as much current as it can so we call it pinched off (even though current continues to flow).

P-channel

$$Q_p = C_i (-V_g + V_T - V_x)$$

$$I_{Ddx} = \bar{\mu}_p Z Q_{ox} dx$$

$$\int_0^L I_{Ddx} = \bar{\mu}_p Z C_i \int_{-V_D}^0 (-V_g + V_T - V_x) dx$$

$$\int_0^L I_{Ddx} = \bar{\mu}_p Z C_i \left[-V_g V_x + V_T V_x - \frac{V_x^2}{2} \right]_{-V_D}^0$$

$$I_{DL} = \bar{\mu}_p Z C_i \left(0 - (-V_g V_x + V_T V_x - \frac{V_x^2}{2}) \right) \quad \text{Let } V_x = V_D$$

$$I_D = -\bar{\mu}_p \frac{Z}{L} C_i \left(+V_g V_D - V_T V_D - \frac{V_D^2}{2} \right)$$

$$I_D = -\bar{\mu}_p \frac{Z}{L} C_i \left((V_g - V_T) V_D - \frac{V_D^2}{2} \right)$$

~~Insert when $V_D \leq V_G - V_T$~~

